Graduate Seminar

Gaelan Hanlon, Memorial University

Thursday, January 23, 2014 1:00pm., HH-3017

Geometric group extensions

Abstract:

Given a topological space X, the fundamental group $\pi_1(X)$ is a group which records information about the basic shape of X. In the event that a group G acts on X we can naturally construct a group E such that $\pi_1(X)$ is a normal subgroup of E and the quotient $E/\pi_1(X)$ is isomorphic to G. Such a group is called a geometric extension of $\pi_1(X)$ by G. We give examples of such groups and, if time permits, discuss the case when X is a finite graph.