$\qquad$

For each of the following situations (1 and 2):
(A) Define variables in a tabular format, as follows.
$\mathrm{nv}=$ number of variables
$\mathrm{nt}=$ number of terms
A. score $=3 n v$
name symbol scale
scale $=$ nominal, ordinal, or cardinal
B. score $=n t$
C. score $=2 n v+2$
D. score $=1$ cardinal $=$ interval or ratio scale .
(B) Using the symbols, write a general linear model relating the response variable to explanatory variable(s) and interaction terms (if appropriate).
(C) Complete the first two columns of the ANOVA table source df
(D) State the name of the analysis, from the following list.
t-test, one-way ANOVA, two-way ANOVA, three-way ANOVA paired comparisons, randomized blocks, hierarchical (nested) ANOVA regression, multiple regression, ANCOVA (at least 1 nominal and at least 1 cardinal scale explanatory variable) none of the above.

1. Huntsberger (1967, Elements of Statistical Inference, p277) reported income per acre (1956 through 1965) produced by a commercial system for taking game animals. What was the rate of growth in income?

$$
\mathrm{A}=6 \mathrm{~B}=2 \mathrm{C}=6 \mathrm{D}=1
$$


C. source df
B. $\qquad$ $=$ $\qquad$ $+\epsilon$
D.
2. Huntsberger ( 1967 p 324 ) reported yields in kilograms per plot that resulted when four equally spaced levels of nitrogen $\mathrm{N}_{0}, \mathrm{~N}_{4}, \mathrm{~N}_{8}, \mathrm{~N}_{12}$ were applied to a variety of grain. Each treatment was applied to its own plot in each of four areas that differed in levels of irrigation.

$$
A=9 B=4 C=8 \quad D=1
$$


C. source df
B. $\qquad$ $=$ $\qquad$ $+\epsilon$
D.
3. (From Huntsberger, 1967, Problem 8, p 173) Given $n$ random samples of the variable $Y$, which is distributed normally, the quantity $t$ will follow a $t$-distribution with $n-1$ degrees of freedom. The quantity F will follow the F -distribution, where $F=t^{2}$

$$
t=\frac{\sqrt{n}(\bar{Y}-\mu)}{s}
$$

Find $t$, given $\mathrm{n}=50, \mathrm{~s}=3, \bar{Y}-\mu=6$

Find $\mathrm{s}^{2}$, given $\mathrm{n}=50, \bar{Y}-\mu=6, \mathrm{t}=2.312$
Find $F$, given $\mathrm{n}=37, \mathrm{~s}=3, \bar{Y}-\mu=6$
4. Huntsberger (1967 p225) reported the percent fat found in samples of two types of meat (10 samples per type). Complete the ANOVA table.

| Source of Variation | $S S$ | $d f$ | $M S$ | $F$ | $P$-value |  |
| :--- | ---: | :--- | :--- | :--- | :--- | :--- |
| Types | - |  |  |  | 3.3922 | 0.082 |
| Within Types (error) | - |  |  | 31.189 |  |  |
| Total | 667.2 |  | - |  |  |  |

5. Huntsberger (1967 p281) reported on heights of trees in relation to age.

Here are the fitted and residual values for the regression of tree height on age.

| Predicted | Residuals |
| ---: | ---: |
| 32.56638 | 0.433619 |
| 29.85017 | 4.249828 |
| 21.70154 | -0.701544 |
| 32.56638 | -23.06638 |
| 29.85017 | 5.549828 |
| 24.41775 | 0.882247 |
| 18.98533 | 2.414666 |
| 40.71501 | 6.984991 |
| 21.70154 | -1.701544 |
| 24.41775 | -1.317753 |
| 43.43122 | -5.331218 |
| 43.43122 | 3.168782 |
| 18.98533 | 2.114666 |
| 37.9988 | 0.901201 |
| 35.28259 | 3.41741 |
| 37.9988 | 2.001201 |



List and evaluate 5 assumptions for the regression, stating the evidence you used.
6. Two different methods were used to determine the fat content in different samples of meat. Both methods were used on portions of the same meat sample. The data are percentages (Huntsberger 1967, p227).

Define response and explanatory variables, with symbols.

| Meat | Method |  |
| :---: | :---: | :---: |
| Sample | 1 | 11 |
| 1 | 23.1 | 22.7 |
| 2 | 23.2 | 23.6 |
| 3 | 26.5 | 27.1 |
| 4 | 26.6 | 27.4 |
| 5 | 27.1 | 27.4 |
| 6 | 48.3 | 46.8 |
| 7 | 40.5 | 40.4 |
| 8 | 25.0 | 24.9 |

In the space below, arrange the data in model format, with column headings for explanatory and response variables.

