Name $\qquad$ Key
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1. The expected number of events k in area A , if events are rare and random, follows a Poisson distribution. The expected frequency of events $\operatorname{Pr}(\mathrm{X}=\mathrm{k})$ for a Poisson distribution is calculated as

$$
\begin{aligned}
& \operatorname{Pr}(\mathrm{X}=\mathrm{k})=\mathrm{e}^{-\mu} \mu^{\mathrm{k}} / \mathrm{k}!\quad \mathrm{k}=0,1,2,3 \text { etc } \\
& \operatorname{Pr}(\mathrm{X}=0)=\mathrm{e}^{-2} 2^{0} / 0!=0.135
\end{aligned}
$$

where $\mu=\lambda$ A,
e is approximately 2.71828 , any number to the zero power is 1 , and $\mathrm{k}!(\mathrm{k}$ factorial $)$ is $\quad 0!=1,1!=1,2!=2 * 1,3!=3 * 2 * 1$, etc.

If a laboratory population of bacteria grows at a density of $\lambda=0.02 / \mathrm{cm}^{2}$, what is the probability of finding no colonies $\operatorname{Pr}(\mathrm{X}=0)$ in an area of $\mathrm{A}=100 \mathrm{~cm}^{2}$ ?

Beneath the equation, write the equation with the numbers you plan to use. [1]
Compute the probability of finding no colonies $\operatorname{Pr}(\mathrm{X}=0)$ if $\mathrm{A}=100 \mathrm{~cm}^{2}$ _0.135__[1]
2. Construct the frequency distribution $\mathrm{F}(\mathrm{Y}=\mathrm{k})$ and the cumulative relative frequency distribution $\mathrm{RF}(\mathrm{Y} \leq \mathrm{k})$ from the cumulative frequency distribution $\mathrm{F}(\mathrm{Y} \leq \mathrm{k})$ of mites found on 589 chironomid flies, where the outcomes are $\mathrm{k}=$ number of mites per chironomid fly (from Sokal and Rohlf 1995, Box 5.6).

| k | $\mathrm{F}(\mathrm{Y}=\mathrm{k})$ | $\mathrm{F}(\mathrm{Y} \leq \mathrm{k})$ | $\mathrm{RF}(\mathrm{Y} \leq \mathrm{k})$ |
| :--- | :--- | :--- | :--- |
| 0 | -442 | 442 | $442 / 589=0.75$ |
| 1 | $-91-$ | 533 | $-0.905 \_$ |
| 2 or more | -56 | 589 | -1.00 |

3. If the probability of an outcome is some percentage $p$, then the odds in favour of the outcome are defined as Odds $=\mathrm{p} / \mathrm{q}$ where $\mathrm{q}=1-\mathrm{p}$. The odds against that outcome are thus $q / p$. Odds are expressed relative to a value of 1 .
Read the expression (Odds $=4: 1$ ) as "odds are 4 to $1 . "$
If the probability of finding an uninfected chironomid had been $30 \%$, what are the odds of finding an uninfected chironomid ? $\qquad$
$\qquad$
