

1. The expected number of events k in area A , if events are rare and random, follows a Poisson distribution. The expected frequency of events $\Pr(X=k)$ for a Poisson distribution is calculated as

$$\Pr(X=k) = e^{-\mu} \mu^k / k! \quad k = 0,1,2,3 \text{ etc}$$

where $\mu = \lambda A$,
 e is approximately 2.71828, any number to the zero power is 1,
 and $k!$ (k factorial) is $0! = 1, 1! = 1, 2! = 2*1, 3! = 3*2*1, \text{ etc.}$

If a laboratory population of bacteria grows at a density of $\lambda = 0.02/\text{cm}^2$, what is the probability of finding no colonies $\Pr(X=0)$ in an area of $A = 100 \text{ cm}^2$?

Beneath the equation, write the equation with the numbers you plan to use. [1]

Compute the probability of finding no colonies $\Pr(X=0)$ if $A = 100 \text{ cm}^2$ _____[1]

2. Construct the frequency distribution $F(Y=k)$ and the cumulative relative frequency distribution $RF(Y \leq k)$ from the cumulative frequency distribution $F(Y \leq k)$ of mites found on 589 chironomid flies, where the outcomes are $k =$ number of mites per chironomid fly (from Sokal and Rohlf 1995, Box 5.6).

k	$F(Y=k)$	$F(Y \leq k)$	$RF(Y \leq k)$	
0	_____	442	_____	[2]
1	_____	533	_____	[2]
2 or more	_____	589	_____	[2]

3. If the probability of an outcome is some percentage p , then the odds in favour of the outcome are defined as $\text{Odds} = p/q$ where $q = 1 - p$. The odds against that outcome are thus q/p . Odds are expressed relative to a value of 1.
 Read the expression (Odds = 4: 1) as "odds are 4 to 1."

If the probability of finding an uninfected chironomid had been 30%,
 what are the odds of finding an uninfected chironomid ? _____[1]

what are the odds of finding an infected chironomid ? _____[1]