

1. Hypothesis testing is carried out with frequency distributions, either observed (empirical) or theoretical.

What is the principal advantage of using an empirical distribution ? [1]

What is the principal disadvantage (or cost) of using an empirical distribution ? [1]

What is the principal advantage of using a theoretical distribution ? [1]

2. Walters and Green (1997, *Journal of Wildlife Management* 61: 987-1006) devised a value function for comparing management options.

$$v = (r - c)u - \theta \cdot u^2$$

$v$  = value, in units of dollars (fish · year)<sup>-1</sup>

$r$  = maximum value per fish stocked (dollars fish<sup>-1</sup>) with dimensions of [\$] [#]<sup>-1</sup>

$c$  = unit cost of stocking fish

$u$  = frequency of stocking (year<sup>-1</sup>) with dimensions of [T]<sup>-1</sup>

What units does  $c$  have ? \_\_\_\_\_ [1]

What units does  $\theta$  have ? \_\_\_\_\_ [1]

Add the correct exponents to the dimensional matrix

	[\$]	[#]	[T]	
$u$	<u>0</u>	<u>0</u>	<u>-1</u>	
$c$	___	___	___	[3]
$\theta$	___	___	___	[3]

3. Complete the following computations. [3]

$$(100 \text{ km})^{1.1} = \underline{\hspace{4cm}}$$

$$(49 \text{ km}^2)^{0.5} = \underline{\hspace{4cm}}$$

$$R = (20 \text{ km})/\text{km} \quad \log_{10}(R) = \underline{\hspace{4cm}}$$

4a. Convert 50 fractal inches  $(50 \text{ in})^{1.5}$  to fractal metres \_\_\_\_\_ [1]  
There are 2.54 cm per inch.

4b. Convert 86.4 kiloseconds to days \_\_\_\_\_ [1]

5. List the 5 parts of a well defined biological quantity then give a five-part example [5]

6. Zang and Wynder 1992 (reported in Sokal and Rohlf 1995, Ex 17.20) obtained the following results in a retrospective study of risk of developing lung cancer, for smokers and non-smokers.

	Lung Cancer (males)		total	% present	odds of cancer	Odds Ratio
	present	absent				
smoke	522	866	1388	_____	_____ : 1	_____
non-smokers	15	822	837	_____	_____ : 1	

Compute the percentage of males in which lung cancer is present.  
 If the percentage of a group having cancer is some percentage  $p$ , then the odds in favour of having cancer are defined as  $\text{Odds} = p/q$  where  $q = 1 - p$ .  
 Read the expression ( $\text{Odds} = \frac{p}{q} : 1$ ) as "odds are \_\_\_\_\_ to 1."

The odds ratio, for one population relative to another, is defined as the odds for the one population (non-smokers), divided by the odds for the other population (non-smokers).

Compute and fill in the survival percentages, the odds, and the odds ratio, in the table above. [5]

7. A convenient statistic for the odds ratio is OR.  
 Write the value of OR  
 when the odds are the same for smokers and non smokers.

OR = \_\_\_\_\_ [1]

In words, then in symbolic notation, state an  $H_A/H_0$  pair for testing whether odds of having cancer depend on smoking or not. [3]

8. Assuming you did not know the distribution of the OR statistic, state how you would carry out a randomization test of your  $H_A/H_0$  pair. [2]

