

Mutation: Use the [GSM / mutation worksheet](#) to investigate the following scenarios.

- 1) Calculate \hat{q} from the exact equation to $g = 2,000$ generations:
under what conditions to the exact and approximate solutions diverge?
- 2) Calculate H_{exp} for \hat{q} in the table above (*Hint: use $p = 1$ as appropriate*).
What level of variation can mutation maintain in a population?
What is the ratio of $f(AB) / f(BB)$ at $g = 2,000$ generations?
What does this tell you about the effect on **population variation**
of selection under recurrent mutation?
- 3) [Neutral Mutation Theory](#) suggests many mutations have $s \ll 0.01$.
Calculate \hat{q} , where s varies over the same range as μ .
- 4) Suppose **myopia** is due to a recessive allele **B** at a single locus,
with mutation rate $\mu = 10^{-5}$ from **A** \rightarrow **B**.
Suppose that myopia historically resulted in a selection coefficient $s = 0.3$,
and that vision correction has now reduced selection by **90%**.
 - a) What is the *former* vs the new \hat{q} of the **B** allele?
 - b) What is the *former* vs new equilibrium frequency of **persons with myopia** ?

Migration: Use the [GSM / migration worksheet](#) to investigate the following scenarios.

- 1) Explore the **migration as m** simulation for different values of **t** or **s**, and **m**. What levels of island population variation (measured as **f(AB)** and (or) **f(BB)**) can be maintained for mildly, moderately, or severely deleterious alleles over a range of migration rates **m = 0.001, 0.01, & 0.1**. Compare this with the approximation solution for **m** vs **s**.
- 2) [Lake Erie Water Snakes \(*Nerodia sipedon insularum*\)](#) are distributed on interconnected islands in Lake Erie. Migration rates m between islands and the Ohio & Ontario mainlands are roughly proportional to distance. Genotype and allele frequencies may be estimated from observed frequencies of Banded (**BB**), Un-banded (**AA**), and Intermediate (**AB**) patterns, corresponding to pattern classes in Ehrlich & Raven (1958) of **A**, **B+C**, and **D** respectively.
 - 1) Estimate phenotype proportions to the closest 10% from Ehrlich & Raven. Taking these as genotype frequencies, calculate $f(B)$ for Kelly's Is, Bass Is, and Pelee Is.
 - 2) **Hypothesize** patterns of interconnectedness and migration rates in the **four-island model** of the [Migration worksheet](#). [It may be convenient to disregard the source population **qs** and use only **q1 q2 q3 & q4**.
 - a. What patterns are produced?
 - b. Which most closely approximates the observed patterns?