

# Information Theoretic Approach: AIC!!

## Finding patterns in nocturnal seabird flight-call behaviour

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# Nocturnality in seabirds

- Active around colonies only at night
- Must attract and recognize mates using auditory or olfactory cues
- Loud, well defined night-time vocalizations (context specific and linked to behaviour)
- Nocturnal behaviour is a strategy to avoid avian predators (require ambient light to hunt)

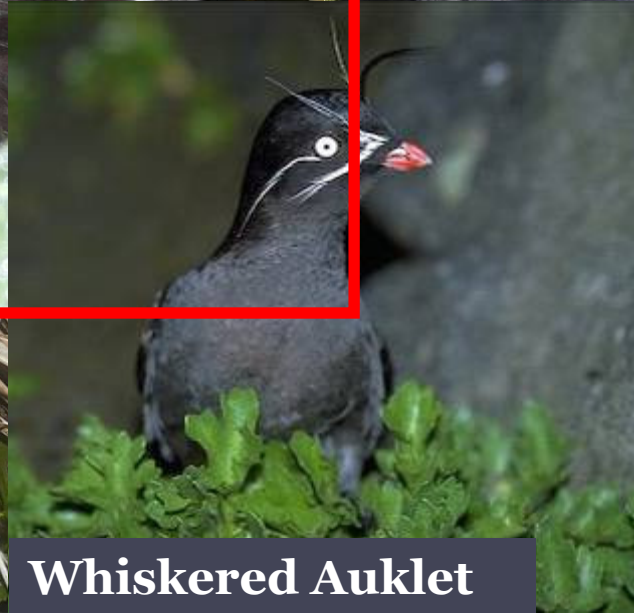
# Nocturnal seabirds



**Leach's Storm-petrel**



**Ancient Murrelet**



**Whiskered Auklet**



**Fork-tailed Storm-petrel**



**Cassin's Auklet**

# Leach's Storm-petrel life history

- Late age at first breeding (3-5 years)
- “Prospectors”: non-breeding individuals assessing future nesting habitats
- Social Attraction
- Well defined contexts for different calls:
  - Flight calls – chuckle call given in flight in many situations
  - Burrow calls – purr call to attract mates to a burrow, heard exclusively at active colonies



# Amatignak Island Aleutian Islands, Alaska

- Used as a fox farm from early 20<sup>th</sup> century until eradication in 1991
- Leach's Storm-petrel populations were presumably extirpated by introduced foxes
- Currently, no known breeding population of Leach's Storm-petrel
- Four passive acoustic recorders were placed on the cardinal points of the island
- Placed in storm-petrel habitat



# Acoustic recording device – Song-meter

- Set to record from June 18 to August 4
- Recording Schedule: 15 minutes on/off from 00:30 to 6:30 HST
- Calls recorded by the Song-meters were identified by recognition software



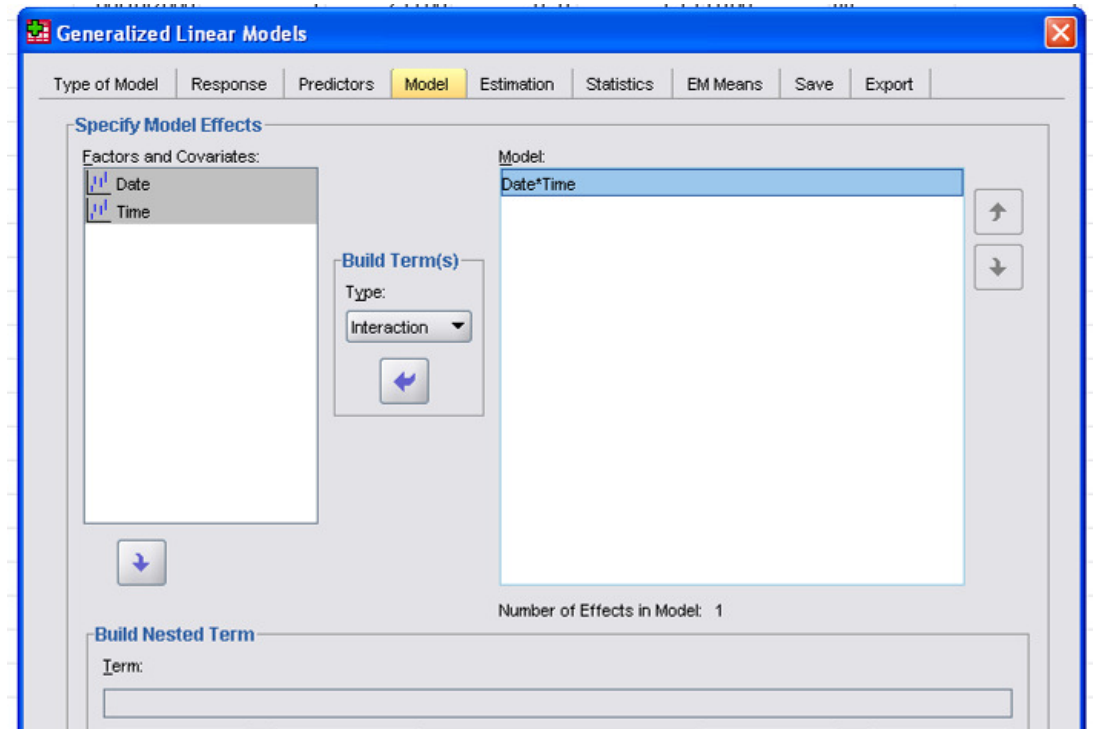
# Data organization

- Response variable: # calls/15 minutes per night
- Explanatory variables:
  - Site
  - Moon phase
  - Cloud Cover
  - Wind Speed
  - Wind Direction
  - Precipitation
  - Wave Height
- Explanatory variables were grouped into minimal categories or model will not have enough df!



# Null hypothesis testing – traditional statistical inference

- Question 1: Does the number of flight calls during each time period differ between nights?
- Model: In SPSS Generalized Linear Model (poisson with log link)



$$\text{Count of Flight calls} = e^{\mu} + \text{poisson error}$$
$$\mu = \beta_0 + \beta_{\text{date*time}} * \text{date*time}$$



# Null hypothesis testing – traditional statistical inference

```
* Generalized Linear Models.
GENLIN Count BY Time Date (ORDER=ASCENDING)
  /MODEL Time*Date INTERCEPT=YES
  DISTRIBUTION=POISSON LINK=LOG
  /CRITERIA METHOD=FISHER(1) SCALE=1 COVB=MODEL MAXITERATIONS=100 MAXSTEPHALVING=5 PCONVERGE=1E-006 (ABSOLUTE) SINGULAR=1E-
012 ANALYS
  ISTYPE=3 (WALD) CILEVEL=95 CITYPE=WALD LIKELIHOOD=FULL
  /MISSING CLASSMISSING=EXCLUDE
  /PRINT DESCRIPTIVES MODELINFO FIT SUMMARY
  /SAVE MEANPRED (MeanPredicted) RESID (Residual).
```

Goodness of Fit<sup>b</sup>

	Value	df	Value/df
Deviance	11714.514	995	11.773
Scaled Deviance	11714.514	995	
Pearson Chi-Square	11355.754	995	11.413
Scaled Pearson Chi-Square	11355.754	995	
Log Likelihood <sup>a</sup>	-7297.999		
Akaike's Information Criterion (AIC)	15707.998		
Finite Sample Corrected AIC (AICC)	16331.121		
Bayesian Information Criterion (BIC)	18680.738		
Consistent AIC (CAIC)	19236.738		

Fit/df = 11,  
hence overdispersion

Dependent Variable: Count  
Model: (Intercept), Time \* Date

- The full log likelihood function is displayed and used in computing information criteria.
- Information criteria are in small-is-better form.

Omnibus Test<sup>a</sup>

Likelihood Ratio Chi-Square	df	Sig.
24466.981	555	.000

Dependent Variable: Count  
Model: (Intercept), Time \* Date

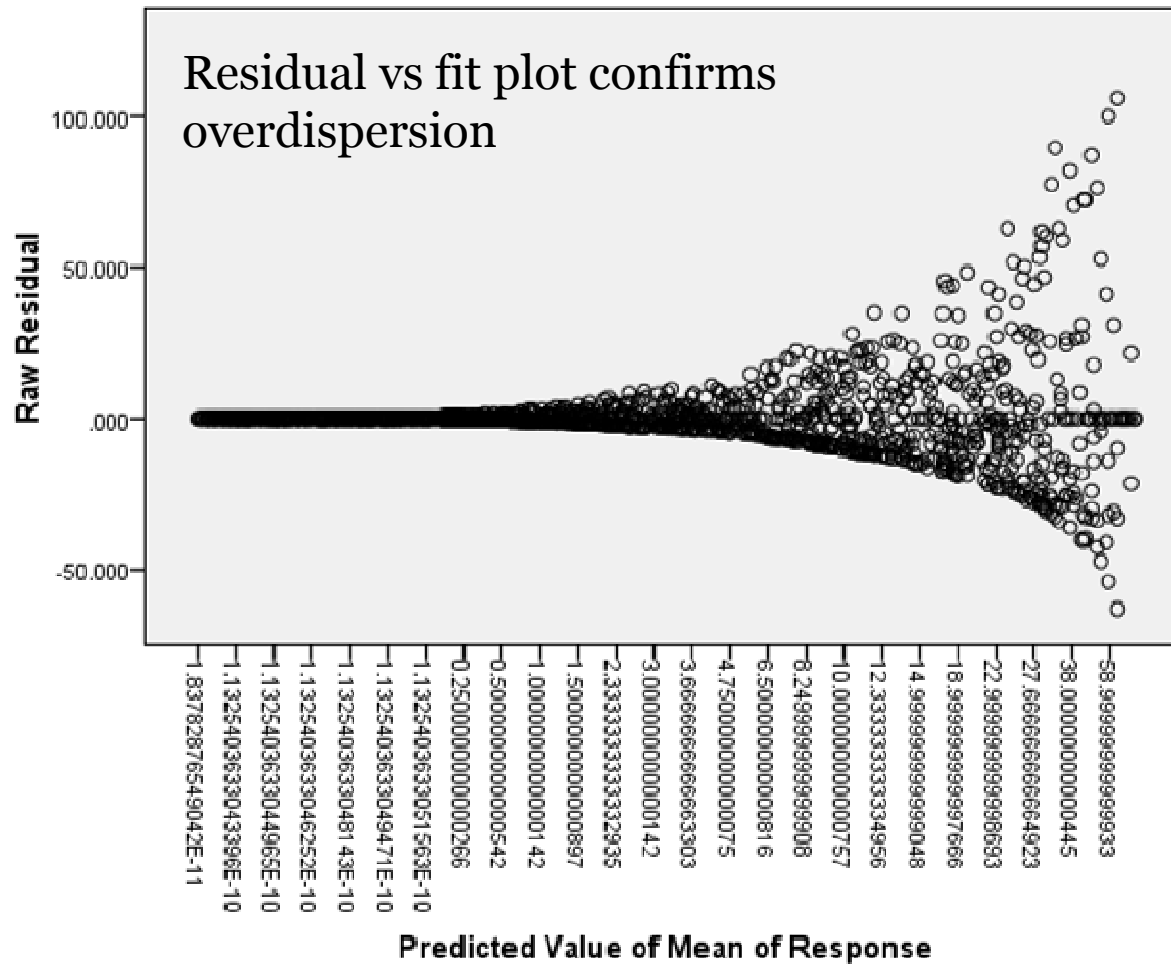
- Compares the fitted model against the intercept-only model.

Tests of Model Effects

Source	Type III		
	Wald Chi-Square	df	Sig.
(Intercept)	6000.060	1	.000
Time * Date	10430.637	385	.000

Dependent Variable: Count  
Model: (Intercept), Time \* Date

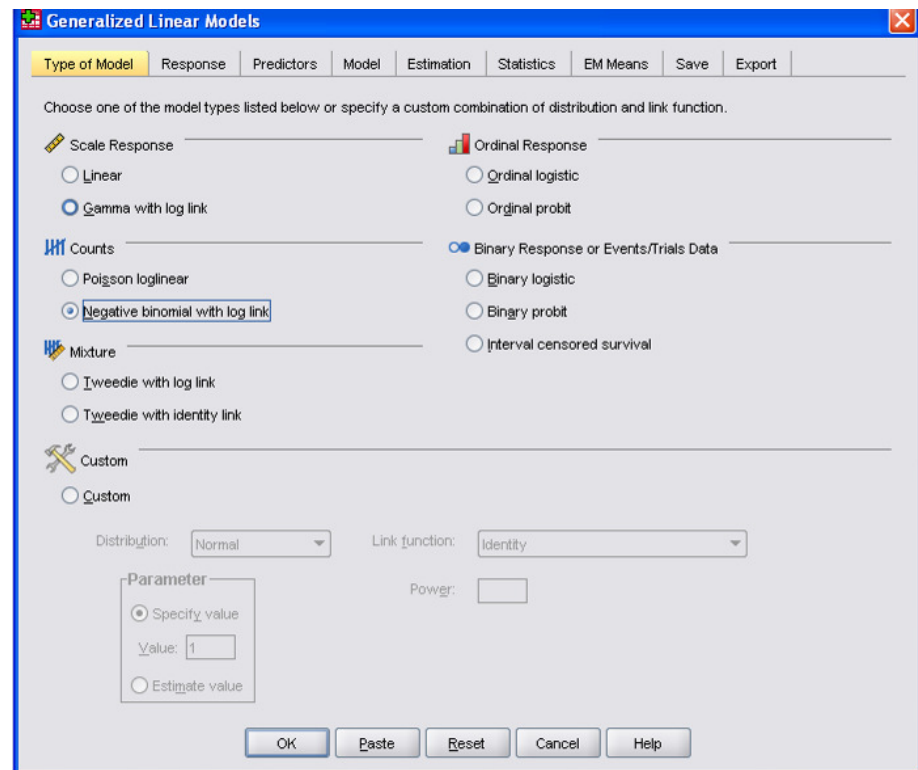
# Null hypothesis testing – traditional statistical inference



# Null hypothesis testing – traditional statistical inference

- Question 1: Does the number of flight calls during each time period differ between nights?
- Model: In SPSS Generalized Linear Model (negative binomial with log link)
- Count of Flight calls =  $e^{\mu}$  + negative binomial error

$$\mu = \beta_0 + \beta_{(\text{date*time})} * (\text{date*time})$$



# Null hypothesis testing – traditional statistical inference

```
* Generalized Linear Models.
GENLIN Count BY Time Date (ORDER=ASCENDING)
  /MODEL Time*Date INTERCEPT=YES
  DISTRIBUTION=NEGBIN(1) LINK=LOG
  /CRITERIA METHOD=FISHER(1) SCALE=1 COVB=MODEL MAXITERATIONS=100 MAXSTEPHALVING=5 PCONVERGE=1E-006 (ABSOLUTE) SINGULAR=1E-012 ANALYS
  ISTYPE=3 (WALD) CILEVEL=95 CITYPE=WALD LIKELIHOOD=FULL
  /MISSING CLASSMISSING=EXCLUDE
  /PRINT DESCRIPTIVES MODELINFO FIT SUMMARY
  /SAVE PEARSONRESID (PearsonResidual).
```

Goodness of Fit<sup>b</sup>

	Value	df	Value/df
Deviance	1483.371	995	1.491
Scaled Deviance	1483.371	995	
Pearson Chi-Square	949.557	995	.954
Scaled Pearson Chi-Square	949.557	995	
Log Likelihood <sup>a</sup>	-3006.213		
Akaike's Information Criterion (AIC)	7124.426		
Finite Sample Corrected AIC (AICC)	7747.549		
Bayesian Information Criterion (BIC)	10097.166		
Consistent AIC (CAIC)	10653.166		

Fit/df = 1,

hence no overdispersion

Dependent Variable: Count  
Model: (Intercept), Time \* Date

- a. The full log likelihood function is displayed and used in computing information criteria.
- b. Information criteria are in small-is-better form.

Omnibus Test<sup>a</sup>

Likelihood Ratio Chi-Square	df	Sig.
3815.888	555	.000

Dependent Variable: Count  
Model: (Intercept), Time \* Date

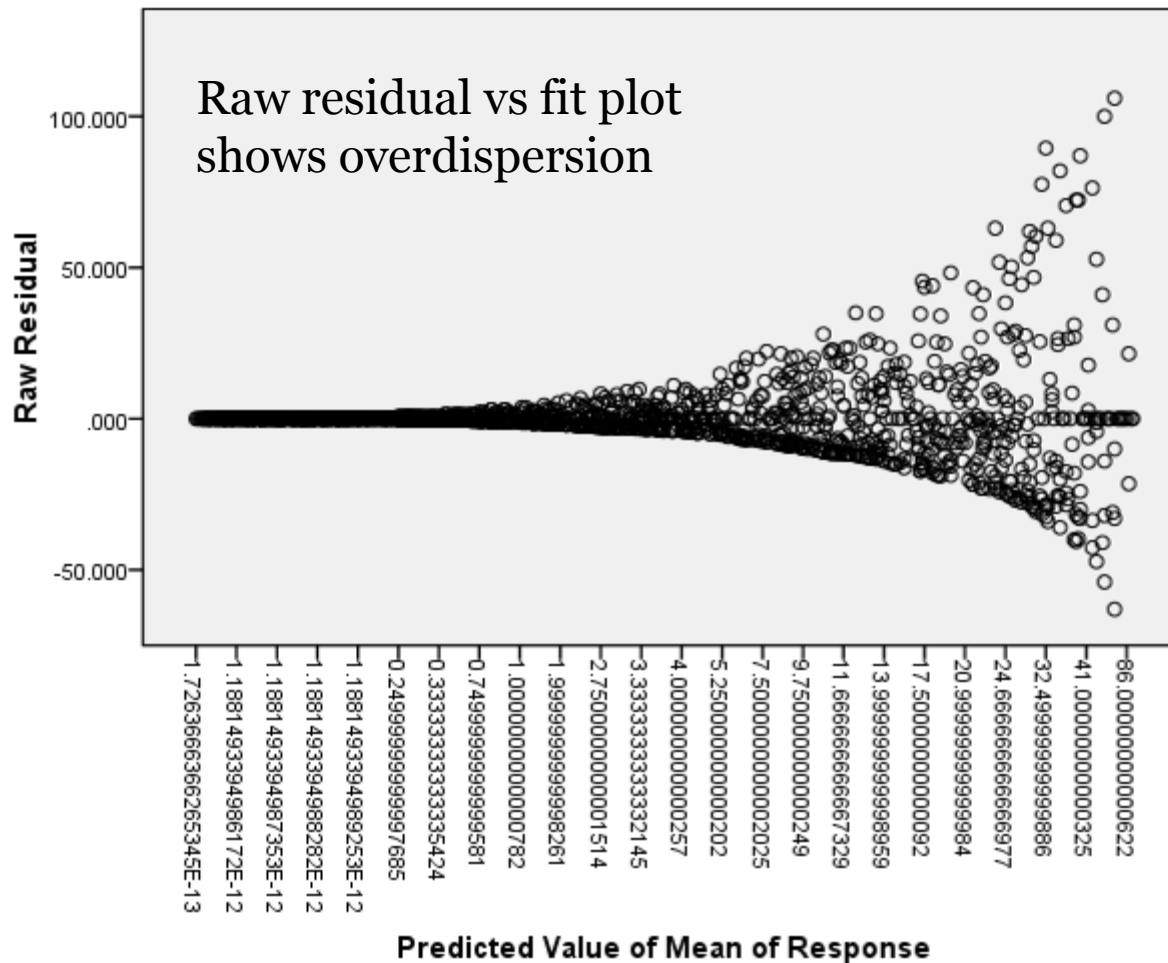
- a. Compares the fitted model against the intercept-only model.

Tests of Model Effects

Source	Type III		
	Wald Chi-Square	df	Sig.
(Intercept)	1730.913	1	.000
Time * Date	1316.321	385	.000

Dependent Variable: Count  
Model: (Intercept), Time \* Date

# Null hypothesis testing – traditional statistical inference



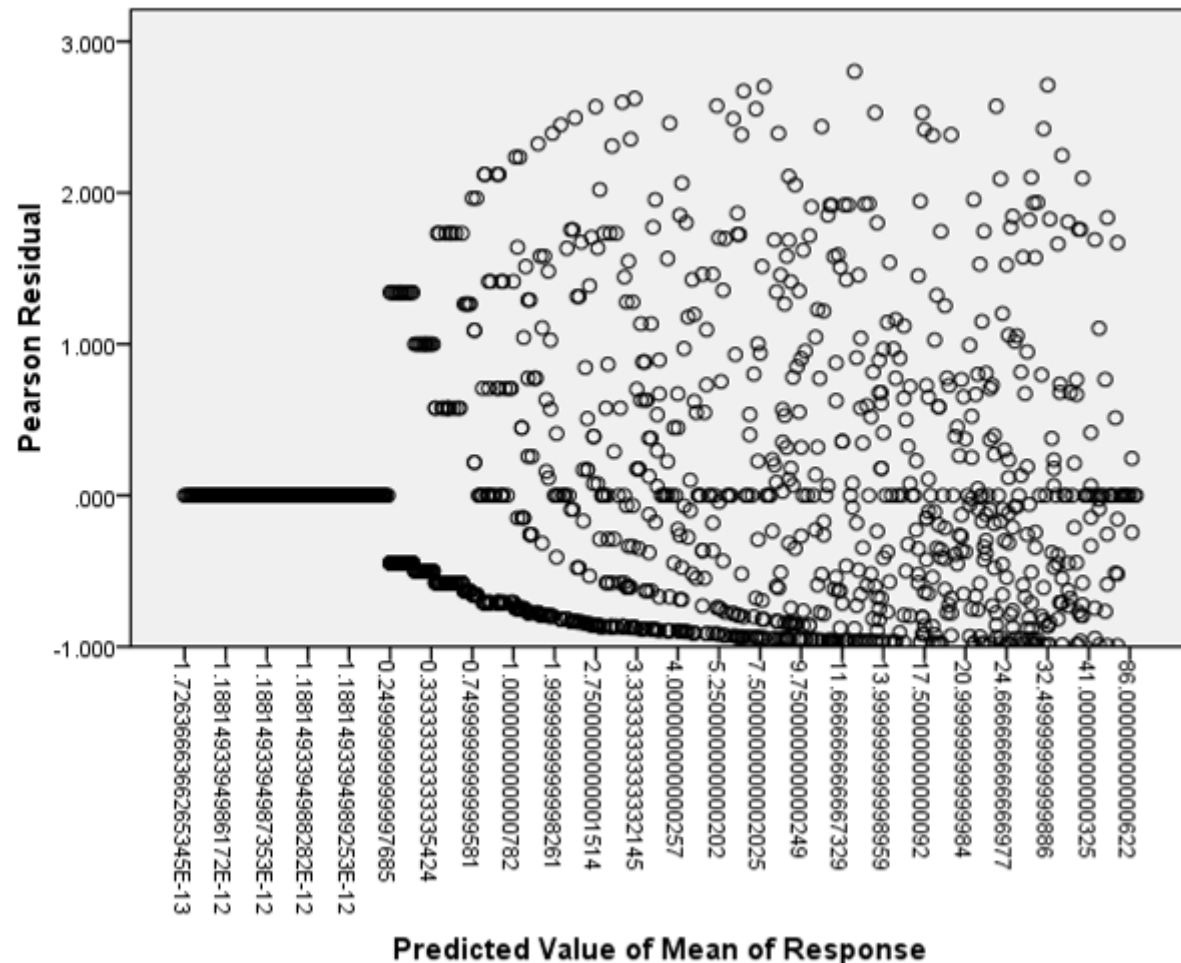
# Null hypothesis testing – traditional statistical inference

For Generalized linear models, we use scaled residuals.

Such as Pearson residuals (scaled to std)

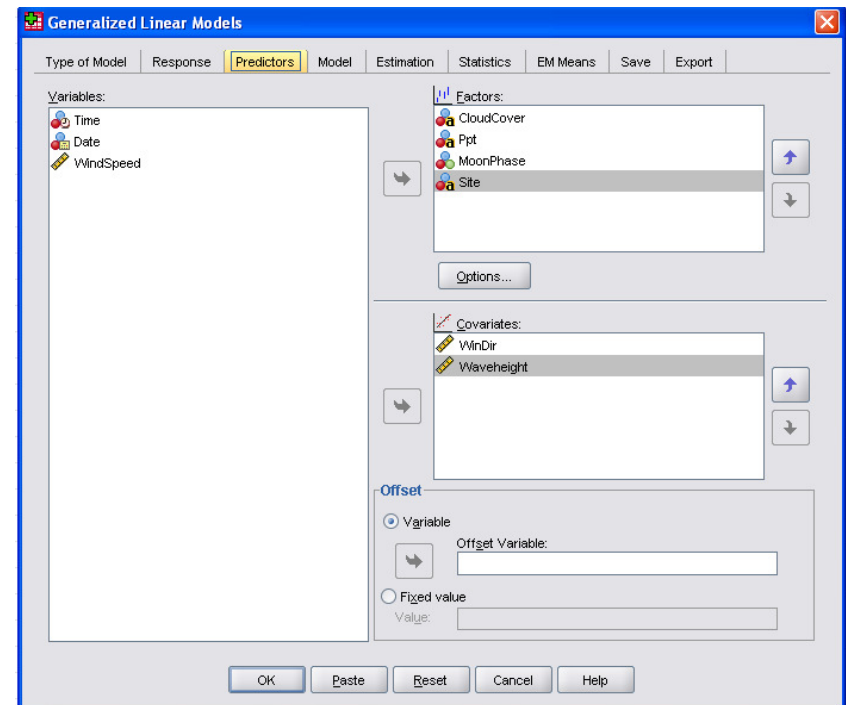
Scaled residuals do not show strong heterogeneity.

This is consistent with Pearson  $\chi^2/df = 1$  (see above)



# Null hypothesis testing – traditional statistical inference

- Question 2: Does the number of flight calls per 15 minutes depend on the following explanatory variables: wind speed, wave height, moon phase, cloud cover, and precipitation?
- Model: In SPSS Generalized Linear Model (poisson with log link)



- Flight calls per 15 mins =  $e^{\mu}$  + poisson error

$$\mu = \beta_0 + \beta_{\text{WiS}} * \text{WiS} + \beta_{\text{WaH}} * \text{WaH} + \beta_{\text{MP}} * \text{MP} + \beta_{\text{CC}} * \text{CC} + \beta_{\text{Ppt}} * \text{Ppt}$$

# Null hypothesis testing – traditional statistical inference

\* Generalized Linear Models.

```

GENLIN Count BY Site MoonPhase Ppt CloudCover (ORDER=ASCENDING) WITH WindSpeed Waveheight
  /MODEL Site MoonPhase Ppt CloudCover WindSpeed Waveheight INTERCEPT=YES
  DISTRIBUTION=POISSON LINK=LOG
  /CRITERIA METHOD=FISHER(1) SCALE=1 COVB=MODEL MAXITERATIONS=100 MAXSTEPHALVING=5 PCONVERGE=1E-006 (ABSOLUTE) SINGULAR=1E-
012 ANALYS
  ISTYPE=3 (WALD) CILEVEL=95 CITYPE=WALD LIKELIHOOD=FULL
  /MISSING CLASSMISSING=EXCLUDE
    
```

Goodness of Fit<sup>b</sup>

	Value	df	Value/df
Deviance	25679.701	1534	16.740
Scaled Deviance	25679.701	1534	
Pearson Chi-Square	38918.196	1534	25.370
Scaled Pearson Chi-Square	38918.196	1534	
Log Likelihood <sup>a</sup>	-14280.593		
Akaike's Information Criterion (AIC)	28593.185		
Finite Sample Corrected AIC (AICC)	28593.540		
Bayesian Information Criterion (BIC)	28678.721		
Consistent AIC (CAIC)	28694.721		

Fit/df = 25,  
hence overdispersion

Dependent Variable: Count  
Model: (Intercept), Site, MoonPhase, Ppt, CloudCover, WindSpeed, Waveheight  
a. The full log likelihood function is displayed and used in computing information criteria.  
b. Information criteria are in small-is-better form.

Omnibus Test<sup>a</sup>

Likelihood Ratio Chi-Square	df	Sig.
10485.291	15	.000

Dependent Variable: Count  
Model: (Intercept), Site, MoonPhase, Ppt, CloudCover, WindSpeed, Waveheight  
a. Compares the fitted model against the intercept-only model.

Tests of Model Effects

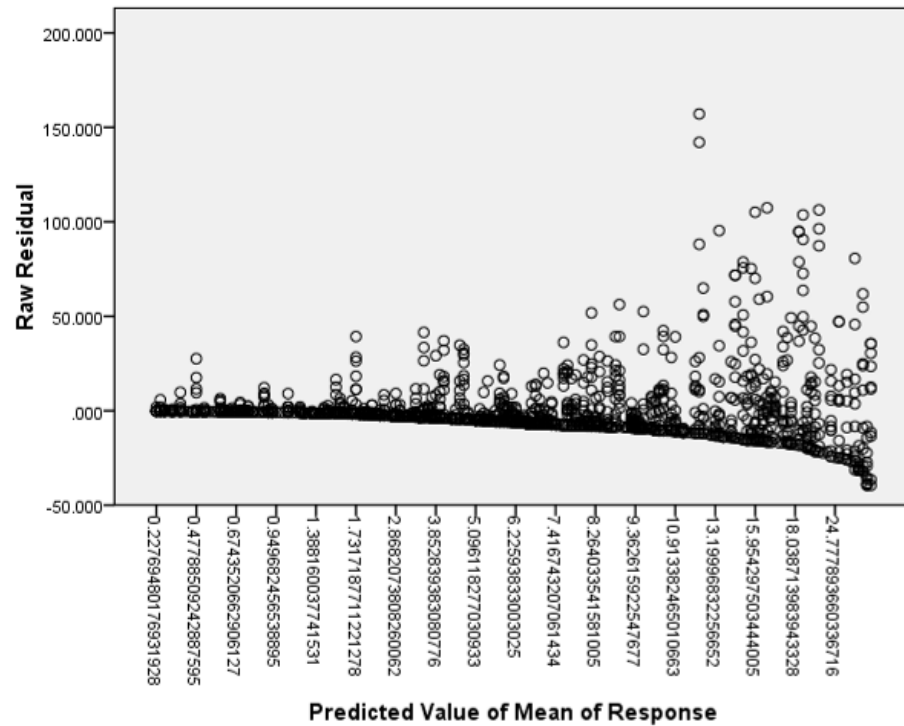
Source	Type III		
	Wald Chi-Square	df	Sig.
(Intercept)	5147.977	1	.000
Site	3614.896	3	.000
MoonPhase	1021.415	3	.000
Ppt	469.622	3	.000
CloudCover	369.470	4	.000
WindSpeed	959.379	1	.000
Waveheight	112.265	1	.000

Dependent Variable: Count  
Model: (Intercept), Site, MoonPhase, Ppt, CloudCover, WindSpeed, Waveheight

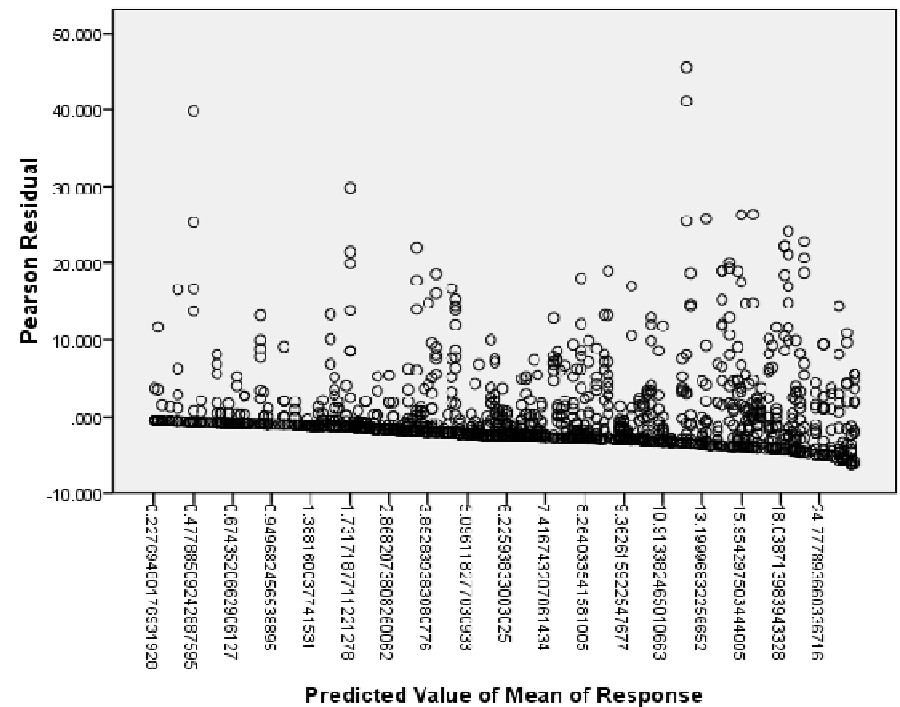


# Null hypothesis testing – traditional statistical inference

Raw residuals show strong heterogeneity

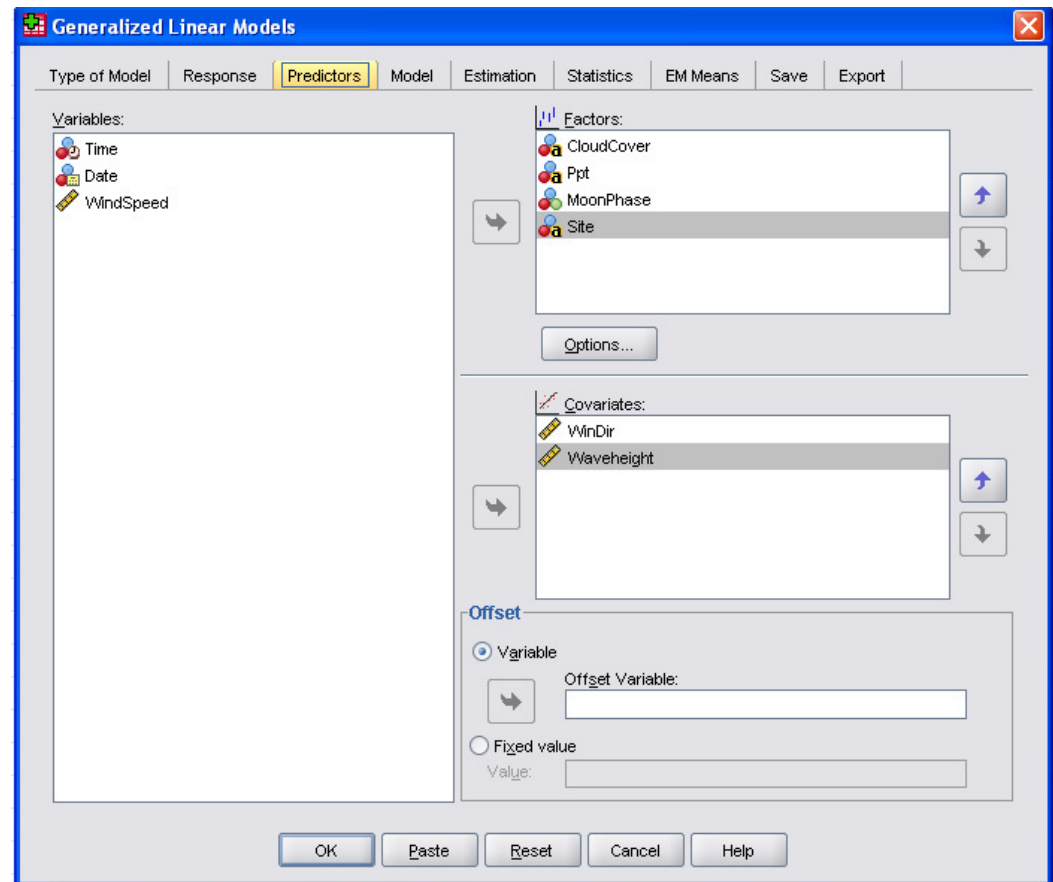


Pearson residuals do not show such strong heterogeneity



# Null hypothesis testing – traditional statistical inference

- Question 2: Does the number of flight calls per 15 minutes depend on the following explanatory variables: wind speed, wave height, moon phase, cloud cover, and precipitation?
- Model: In SPSS Generalized Linear Model (negative binomial with log link)



- Flight calls per 15 mins =  $e^{\mu}$  + negative binomial error

$$\mu = \beta_0 + \beta_{\text{WiS}} * \text{WiS} + \beta_{\text{WaH}} * \text{WaH} + \beta_{\text{MP}} * \text{MP} + \beta_{\text{CC}} * \text{CC} + \beta_{\text{Ppt}} * \text{Ppt}$$

# Null hypothesis testing – traditional statistical inference

\* Generalized Linear Models.

```

GENLIN Count BY CloudCover Ppt MoonPhase Site (ORDER=ASCENDING) WITH Waveheight WindSpeed
  /MODEL CloudCover Ppt MoonPhase Site Waveheight WindSpeed INTERCEPT=YES
  DISTRIBUTION=NEGBIN(1) LINK=LOG
  /CRITERIA METHOD=FISHER(1) SCALE=1 COVB=MODEL MAXITERATIONS=100 MAXSTEPHALVING=5 PCONVERGE=1E-006 (ABSOLUTE) SINGULAR=1E-
012 ANALYS
  ISTYPE=3 (WALD) CILEVEL=95 CITYPE=WALD LIKELIHOOD=FULL
  /MISSING CLASSMISSING=EXCLUDE
  /PRINT DESCRIPTIVES MODELINFO FIT SUMMARY
  /SAVE MEANPRED (MeanPredicted) RESID (Residual) PEARSONRESID (PearsonResidual).
    
```

Goodness of Fit<sup>b</sup>

	Value	df	Value/df
Deviance	3811.847	1534	2.485
Scaled Deviance	3811.847	1534	
Pearson Chi-Square	5428.509	1534	3.539
Scaled Pearson Chi-Square	5428.509	1534	
Log Likelihood <sup>a</sup>	-4225.235		
Akaike's Information Criterion (AIC)	8482.471		
Finite Sample Corrected AIC (AICC)	8482.826		
Bayesian Information Criterion (BIC)	8568.007		
Consistent AIC (CAIC)	8584.007		

Dependent Variable: Count  
Model: (Intercept), CloudCover, Ppt, MoonPhase, Site, Waveheight, WindSpeed

- The full log likelihood function is displayed and used in computing information criteria.
- Information criteria are in small-is-better form.

Overdispersion corrected:  
Deviance/df reduce to ratio of 3.5

Omnibus Test<sup>a</sup>

Likelihood Ratio Chi-Square	df	Sig.
1373.394	15	.000

Dependent Variable: Count  
Model: (Intercept), CloudCover, Ppt, MoonPhase, Site, Waveheight, WindSpeed

- Compares the fitted model against the intercept-only model.

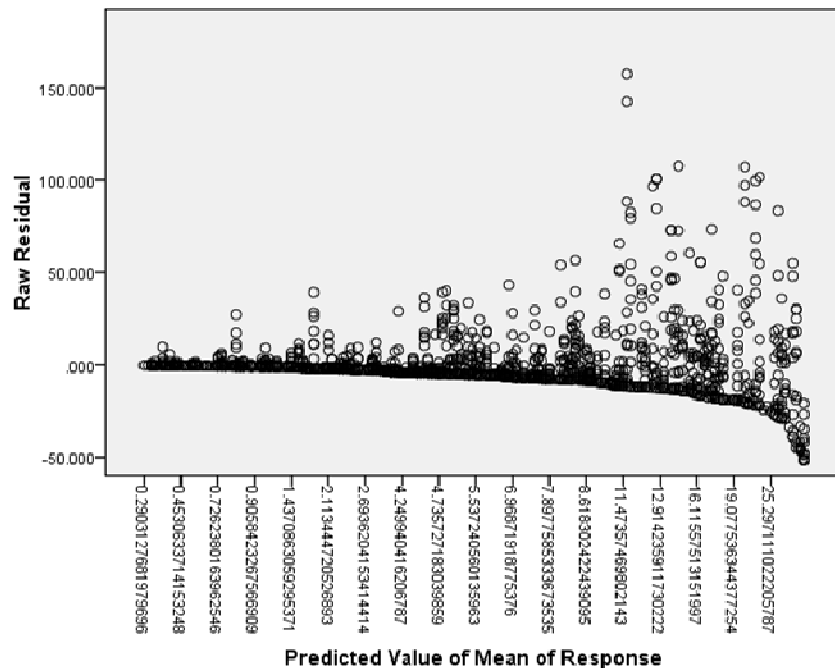
Tests of Model Effects

Source	Type III		
	Wald Chi-Square	df	Sig.
(Intercept)	487.883	1	.000
CloudCover	25.025	4	.000
Ppt	77.680	3	.000
MoonPhase	91.175	3	.000
Site	810.399	3	.000
Waveheight	21.426	1	.000
WindSpeed	92.833	1	.000

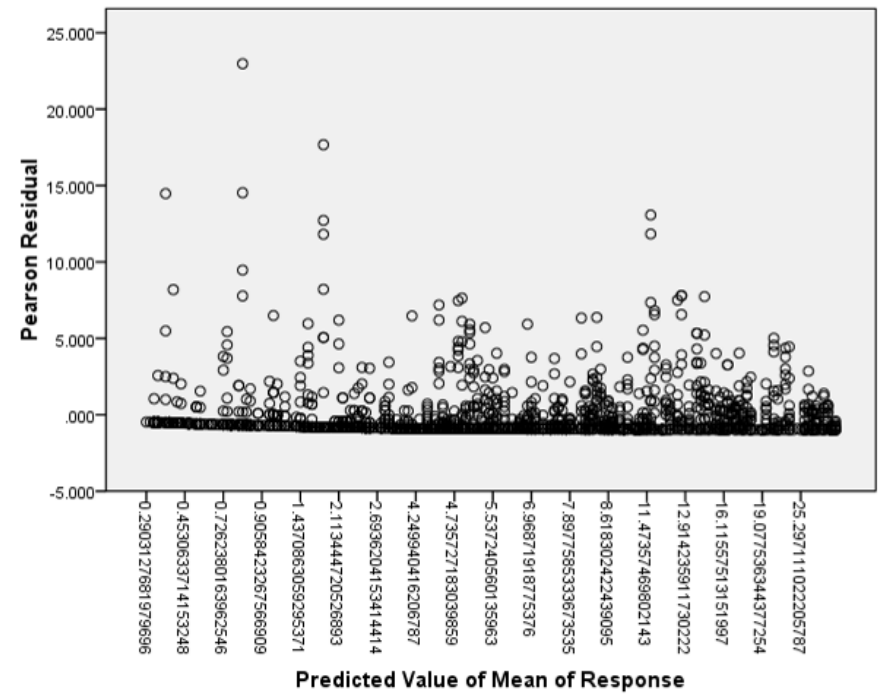
Dependent Variable: Count  
Model: (Intercept), CloudCover, Ppt, MoonPhase, Site, Waveheight, WindSpeed

# Null hypothesis testing – traditional statistical inference

Raw residuals show strong heterogeneity



Pearson residuals do not show such strong heterogeneity



# Null hypothesis testing – traditional statistical inference

- Traditional methods (hypothesis testing) estimate model parameters and their precision
- This assumes that the model structure is known and correct (i.e. true model) and that only parameters in that model are to be estimated

# Information Theoretic Approach

With data model structure is not known.

So....

- ~~• Traditional methods (hypothesis testing) estimate model parameters and their precision~~
- ~~• This assumes that the model structure is known and correct (i.e. true model) and that only parameters in that model are to be estimated~~

# Information Theoretic Approach

- Burnham and Anderson (1998)
- No simple “true model”, modeling is an approximation of explainable information in the empirical data
- Methods allow data-based selection of a “best” model and ranking of remaining models in a pre-defined set
- Traditional statistical inference can then be based on this selected best model
- Recommended for analysis of data from observational studies
- AIC - Selection of most parsimonious model as a basis for statistical inference

# AIC - Aikaike's Information Criterion (1973)

- Represents an estimate of the relative distance between the FITTED model and the unknown TRUE mechanism that actually generated the observed data
- $AIC = -2 \log(L(\Theta|y)) + 2K$
- $\log(L(\Theta|y))$  = numerical value of the loglikelihood at its maximum point (max likelihood estimates)
- $Y = x, g$  or  $\log(L(\Theta|x, g))$
- Likelihood = probability model with parameters  $\Theta$
- $X$  = empirical data,  $g$  = approximate model
- “the likelihood of a numerical value of the unknown parameter  $\Theta$  given the data  $x$  and a particular model  $g$ ”
- $K$  = number of estimable parameters in the model
- Compute AIC for each candidate model and select the model with the smallest AIC



# AIC - Akaike's Information Criterion (1973)

- Based on a set of a priori (well founded) candidate models
- “global model” includes ALL potentially relevant effects and causal mechanisms based on the biology of the situation
- Model with best AIC is “closest” to the known reality that generated the data
- If ALL models are poor, AIC will select the one estimated to be the best, but even that relatively best model might be poor in an absolute sense
- It is not the absolute size of the AIC value, it is the relative values ( $\Delta AIC$ ) that are important
- The larger the  $\Delta AIC$ , the less plausible that the model is best given the data

$\Delta AIC$	Level of model support
0-2	Substantial
4-7	Considerably less
>10	None

# AICc - penalty for small sample size

- AIC may perform poorly if there are too many parameters ( $K$ ) in relation to size of the sample ( $n$ )
- AICc introduces a bias correction term
- $AIC = -2 \log(L(\Theta|y)) + 2K (n/n-k-1)$
- Unless the sample size is large with respect to number of estimated parameters, use of AICc is recommended
- If  $n/K$  is small ( $<40$ ) AICc must be used

# QAIC - modification for overdispersed data

- Overdispersion: violations of assumptions such as residual independence and homogeneity
- Sampling variance exceeds the theoretical (model-based) variance

Goodness of Fit<sup>b</sup>

	Value	df	Value/df
Deviance	3811.847	1534	2.485
Scaled Deviance	3811.847	1534	
Pearson Chi-Square	5428.509	1534	3.539
Scaled Pearson Chi-Square	5428.509	1534	
Log Likelihood <sup>a</sup>	-4225.235		
Akaike's Information Criterion (AIC)	8482.471		
Finite Sample Corrected AIC (AICC)	8482.826		
Bayesian Information Criterion (BIC)	8568.007		
Consistent AIC (CAIC)	8584.007		

Informal rule:  
Overdispersed if  
ratio exceeds 2

Dependent Variable: Count

Model: (Intercept), CloudCover, Ppt, MoonPhase, Site, Waveheight, WindSpeed

a. The full log likelihood function is displayed and used in computing information criteria.

b. Information criteria are in small-is-better form.

# QAICc - modification for overdispersed data

- Quasi-likelihood allows the use of AICc with overdispersed data
- $QAICc = -2 \log(L(\Theta | \hat{C})) + 2K (n/n-k-1)$
- Use variance inflation factor estimated from the global model
- $\hat{C} = \chi^2/df$
- The number of parameters (K) must include one for the estimation of  $\hat{C}$
- $\hat{C}$  should be  $> 1$ , but should not exceed about 4
- Larger values (6-10) are caused by a model structure that is inadequate
- Quasi-likelihood methods of variance inflation are only appropriate after a reasonable structural adequacy of the model is achieved
- $\hat{C}$  should be calculated only for the global model, do not make separate estimates for each candidate model

# Data organization

- Response variable: # calls/15 minutes per night
- Explanatory variables:
  - Site
  - Moon phase
  - Cloud Cover
  - Wind Speed
  - Wind Direction
  - Precipitation
  - Wave Height
- Explanatory variables must be organized into minimal categories or model will not have enough df!



# AIC - Nocturnal seabird flight call example

- Candidate models:

- Global Model: Flight calls = S + WiS + WaH + MP + CC + Ppt
- Flight calls = S + MP + CC
- Flight calls = MP + CC
- Flight calls = MP
- Flight calls = S + MP
- Flight calls = S + WaH + Ppt
- Flight calls = WaH + Ppt
- Flight calls = MP + CC + Ppt + WaH
- Flight calls = S + MP + CC + Ppt + WaH
- Flight calls = WiS + WaH + Ppt
- Flight calls = S + WiS + WaH + Ppt
- Flight calls = S
- Flight calls = S + WaH + MP + CC
- Flight calls = WaH + MP + CC
- Flight calls = S + WiS + WaH + MP + CC

Possible models from global model will be large. Candidate models are based on biologically plausible interactive effects.

# AIC - Nocturnal seabird flight call example

- Flight calls = S + WiS + WaH + MP + CC + Ppt
- Run GzLM with negative binomial error (to minimize overdispersion)
- Obtain numbers for calculating AIC

Goodness of Fit<sup>b</sup>

	Value	df	Value/df
Deviance	3811.847	1534	2.485
Scaled Deviance	3811.847	1534	
Pearson Chi-Square	5428.509	1534	3.539
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Log Likelihood <sup>a</sup>	-4225.235		
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Finite Sample Corrected AIC (AICC)	8482.826		
Bayesian Information Criterion (BIC)	8568.007		
Consistent AIC (CAIC)	8584.007		

Deviance/df use to estimate  $\hat{C}$

Log likelihood

Dependent Variable: Count  
 Model: (Intercept), CloudCover, Ppt, MoonPhase, Site, Waveheight, WindSpeed  
 a. The full log likelihood function is displayed and used in computing information criteria.  
 b. Information criteria are in small-is-better form.

Case Processing Summary

	N	Percent
Included	1550	99.9%
Excluded	2	.1%
Total	1552	100.0%

n

Omnibus Test<sup>a</sup>

Likelihood Ratio Chi-Square	df	Sig.
1373.394	15	.000

K (estimable parameters)

Dependent Variable: Count  
 Model: (Intercept), CloudCover, Ppt, MoonPhase, Site, Waveheight, WindSpeed  
 a. Compares the fitted model against the intercept-only model.

# AIC - Nocturnal seabird flight call example

Here are the basic calculations.

- $AIC = -2 \log(L(\Theta|y)) + 2K$
- $AIC = -2 (-4225.235) + 2(15)$
- $AIC = 8480.470$
- $QAICc = -2 \log(L(\Theta | \hat{C})) + 2K (n/n-k-1)$
- $QAICc = (-2 (-4225.235))/3.539 + (2*15)(1550/(1550-15-1))$
- $QAICc = 2469.898$
- $\Delta QAICc = QAICc - \min (QAICc)$



# AIC - Nocturnal seabird flight call example

To identify the most parsimonious model, I used a spreadsheet to do the calculations (next slide).

Model	loglikemo	K	AIC	AICc	QAICc	ΔQAICc	wi
(S)+(MP)+(CC)+(Ppt)+(WIS)+(WaH)	-4225.235	5	8480.47	8480.783	2402.12	0.000	1.00
(S)+(WIS)+(MP)+(CC)+(Ppt)	-4235.814	4	8499.60	8499.902	2427.30	4.940	0.08
(S)+(MP)+(CC)+(WaH)+(Ppt)	-4271.637	4	8571.27	8571.548	2446.24	25.185	0.00
(S)+(WIS)+(WaH)+(Ppt)	-4316.072	8	8648.14	8648.237	2457.02	44.118	0.00
(S)+(WaH)+(MP)+(CC)	-4329.711	1	8681.42	8681.594	2476.01	54.903	0.00
(S)+(MP)+(CC)	-4365.131	0	8750.26	8750.405	2476.47	73.892	0.00
(S)+(WaH)+(Ppt)	-4371.380	7	8766.90	8756.833	2478.91	74.354	0.00
(S)+(MP)	-4377.497	6	8930.08	8767.048	2523.65	121.53	0.00
(S)	-4462.043	3	9351.12	8930.102	2645.33	243.21	0.00
(S)+(WIS)+(WaH)+(MP)+(CC)	-4666.563	9	9411.96	9351.243	2663.45	261.33	0.00
(MP)+(CC)+(WaH)+(Ppt)	-4694.983	1	9494.53	9412.138	2685.40	283.28	0.00
(WaH)+(MP)+(CC)	-4739.278	8	9512.84	9494.649	2689.21	287.08	0.00
(WIS)+(WaH)+(Ppt)	-4751.422	5	9596.14	9512.883	2713.63	311.51	0.00
(MP)+(CC)	-4791.064	7	9640.90	9596.201	2724.95	322.83	0.00
(WaH)+(Ppt)	-4816.452	4	9647.98	9640.930	2726.50	324.38	0.00
(MP)	-4820.992	3	9648.000	9648.000	2726.50	324.38	0.00

From the calculations, the global model (6 explanatory variables) could not be reduced to a simpler model (next slide).

# AIC - Nocturnal seabird flight call example

Model	Loglikelihood	K	AIC	AICc	QAICc	ΔQAICc	exp	wi
(S)+(MP)+(CC)+(Ppt)+(WiS)+(WaH)	-4225.235	15	8480.470	8480.783	2402.123	0.000	1.00	0.92
(S)+(WiS)+(MP)+(CC)+(Ppt)	-4235.814	14	8499.628	8499.902	2407.062	4.940	0.08	0.08
(S)+(MP)+(CC)+(WaH)+(Ppt)	-4271.637	14	8571.274	8571.548	2427.307	25.185	0.00	0.00
(S)+(WiS)+(WaH)+(Ppt)	-4316.072	8	8648.144	8648.237	2446.241	44.118	0.00	0.00
(S)+(WaH)+(MP)+(CC)	-4329.711	11	8681.422	8681.594	2457.026	54.903	0.00	0.00
(S)+(MP)+(CC)	-4365.131	10	8750.262	8750.405	2476.014	73.892	0.00	0.00
(S)+(WaH)+(Ppt)	-4371.380	7	8756.760	8756.833	2476.476	74.354	0.00	0.00
(S)+(MP)	-4377.497	6	8766.994	8767.048	2478.915	76.793	0.00	0.00
(S)	-4462.043	3	8930.086	8930.102	2523.656	121.533	0.00	0.00
(S)+(WiS)+(WaH)+(MP)+(CC)	-4666.563	9	9351.126	9351.243	2645.337	243.215	0.00	0.00
(MP)+(CC)+(WaH)+(Ppt)	-4694.983	11	9411.966	9412.138	2663.453	261.330	0.00	0.00
(WaH)+(MP)+(CC)	-4739.278	8	9494.556	9494.649	2685.408	283.285	0.00	0.00
(WiS)+(WaH)+(Ppt)	-4751.422	5	9512.844	9512.883	2689.216	287.094	0.00	0.00
(MP)+(CC)	-4791.064	7	9596.128	9596.201	2713.653	311.530	0.00	0.00
(WaH)+(Ppt)	-4816.452	4	9640.904	9640.930	2724.954	322.831	0.00	0.00
(MP)	-4820.992	3	9647.984	9648.000	2726.509	324.387	0.00	0.00

<b>c-hat</b>	3.539	<b>n</b>	1550
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Aikaike Weights  $W_i = \exp(-0.5 \Delta QAICc) / \sum \exp(-0.5 \Delta QAICc)$

# AIC - Nocturnal seabird flight call example

Conclusion: Petrels respond to multiple factors

Next: Given response to multiple factors, what about interactive effects of these factors?

Here is new global model, now with interactive factors that are plausible biologically.

New Global Model

Count =  $e^{\mu}$  + negative binomial error

$\mu = (S)+(MP)+(CC)+(Ppt)+(WiS)+(WaH)+(WiDir)+$   
 $(MP*CC)+(WiS*WiDir)+(Ppt*WaH)+ (WiDir*WiS*WaH)$

# AIC - Nocturnal seabird flight call example

To identify the most parsimonious model, I again used a spreadsheet to do the calculations.

Model	log-likelihood	K	AIC	AICc	QAICc	c	weight	P	W
(S)+(WIS)+(CC)+(MP)+(Ppt)+(Wah)	-4225.235	7	8480.47	8480.783	2407.02	0.000	0.00	0.00	0.00
(S)+(WIS)+(MP)+(CC)+(Ppt)	-4235.814	4	8571.38	8499.902	2427.02	4.940	0.00	0.00	0.00
(S)+(MP)+(CC)+(Wah)+(Ppt)	-4271.637	4	8648.14	8571.548	2446.21	25.185	0.00	0.00	0.00
(S)+(WIS)+(Wah)+(Ppt)	-4316.072	8	8681.43	8648.237	2457.03	44.118	0.00	0.00	0.00
(S)+(Wah)+(MP)+(CC)	-4320.711	1	8681.594	8681.594	2476.03	54.903	0.00	0.00	0.00
(S)+(MP)+(CC)	-4365.131	0	8760.27	8750.405	2476.03	73.892	0.00	0.00	0.00
(S)+(Wah)+(Ppt)	-4371.380	7	8766.76	8756.833	2476.03	74.354	0.00	0.00	0.00
(S)+(MP)	-4377.497	6	8801.99	8767.048	2523.22	76.723	0.00	0.00	0.00
(S)	-4462.043	3	8951.03	8930.102	2645.03	243.32	0.00	0.00	0.00
(S)+(WIS)+(Wah)+(MP)+(CC)	-4666.563	9	9411.06	9351.243	2662.22	261.33	0.00	0.00	0.00
(MP)+(CC)+(Wah)+(Ppt)	-4694.983	1	9404.06	9412.138	2685.03	282.10	0.00	0.00	0.00
(Wah)+(MP)+(CC)	-4739.278	8	9513.80	9494.649	2688.03	287.08	0.00	0.00	0.00
(WIS)+(Wah)+(Ppt)	-4751.422	5	9596.13	9512.883	2743.66	311.63	0.00	0.00	0.00
(MP)+(CC)	-4791.064	7	9640.08	9596.201	2734.03	322.80	0.00	0.00	0.00
(Wah)+(Ppt)	-4816.452	4	9647.08	9640.930	2736.03	324.38	0.00	0.00	0.00
(MP)	-4820.992	3	9648.000	9648.000	2736.03	324.38	0.00	0.00	0.00

From the calculations, the global model (6 single factor explanatory variables and 4 interactive effects) could not be reduced to a simpler model (next slide).

# AIC - Nocturnal seabird flight call example

Model	LogLikelihood	K	AIC	AICc	QAICc	$\Delta Q$ AIC c	exp	wi
(S)+(MP)+(CC)+(Ppt)+(WiS)+(WaH)+(WiDir)+(MP*CC)+(WiS*WiDir)+(Ppt*WaH)+(WiDir*WiS*WaH)	-3791.81	45	7673.6 2	7676 .37	3258.7 1	0.00	1.00 0	0.867
(S)+(MP)+(CC)+(WiS)+(WaH)+(WiDir)+(MP*CC)+(WiS*WiDir)+(Ppt*WaH)+(WiDir*WiS*WaH)	-3800.187	42	7684.3 7	7686 .77	3262.4 6	3.76	0.15 3	0.133
(S)+(MP)+(CC)+(WiS)+(WaH)+(WiDir)+(MP*CC)+(WiS*WiDir)+(WiDir*WiS*WaH)	-3951.382	39	7980.7 6	7982 .83	3387.2 2	128. 52	0.00 0	0.000
(S)+(MP)+(CC)+(Ppt)+(WiS)+(WaH)	-4225.235	15	8480.4 7	8480 .78	3593.5 0	334. 79	0.00 0	0.000
(S)+(WiS)+(MP)+(CC)+(Ppt)	-4235.814	14	8499.6 3	8499 .90	3601.4 2	342. 72	0.00 0	0.000
(S)+(MP)+(CC)+(WaH)+(Ppt)	-4271.637	14	8571.2 7	8571 .55	3631.7 7	373. 06	0.00 0	0.000
(MP)+(CC)+(Ppt)+(WiS)+(WaH)+(WiDir)+(MP*CC)+(WiS*WiDir)+(Ppt*WaH)+(WiDir*WiS*WaH)	-4239.237	42	8562.4 7	8564 .87	3634.3 8	375. 67	0.00 0	0.000

New Global Model

(S)+(MP)+(CC)+(Ppt)+(WiS)+(WaH)+(WiDir)+(MP\*CC)+(WiS\*WiDir)+(Ppt\*WaH)+(WiDir\*WiS\*WaH)

# AIC

WAS IT REALLY WORTH IT?!



## AIC - Pros

- Makes you think A PRIORI about the biology of your data (rather than putting in a whole bunch of variables blindly to test for significance)
- Works well in situations where many variables could be affecting your data (MP+CC+WS+WD...) but many of these variables may not be appropriate in a model explaining the data observed
  - Example: Atmospheric pressure and number of shooting stars are also “significantly affecting number of storm-petrel flight calls” when run in a GzLM (this larger number of parameters results in a better fit)
  - However,  $\Delta AIC$  of a model including these variables is very large because it has been penalized for the increasing number of parameters
- AIC will identify a model that excludes these superfluous variables

## AIC - Cons

- The model with the largest Aikaike weight is only the best model of the candidates selected A PRIORI....
- This may not be a good model in any absolute sense (the model could be terrible, but compared to the others you have chosen it looks pretty good)
- This all depends on your selection of a good global model (my global model on slide 34 looked like the most parsimonious, but when the global model was revised on slide 35 this model has no support)
- Not good for data with lots of higher level complex interactions among variables